Photoproduction of baryons decaying into $N\pi$ and $N\eta$

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Abstract. A combined analysis of photoproduction data on $\gamma p \to \pi N$, ηN was performed including the data on KΛ and KΣ. The data are interpreted in an isobar model with s-channel baryon resonances and π . $\rho(\omega)$, K, and K^{*} exchange in the t-channel. Three baryon resonances have a substantial coupling to η N, the well-known $N(1535)S_{11}$, $N(1720)P_{13}$, and $N(2070)D_{15}$. The inclusion of data with open strangeness reveals evidence for further new resonances, $N(1840)P_{11}$, $N(1875)D_{13}$ and, with weaker evidence, for $N(2170)D_{13}$.

PACS. 11.80.Et Partial-wave analysis – 13.30.-a Decays of baryons – 13.60.Le Meson production – 14.20.Gk Baryon resonances with $S = 0$

1 Introduction

The energy levels of bound systems and their decay properties provide valuable information about the constituents and their interactions [1]. In quark models, the dynamics of the three constituent quarks in baryons support a rich spectrum, much richer than the energy scheme experiments have established so far [2–4]. This open issue is referred to as the problem of missing resonances. The intense discussion of the exotic baryon resonance $\Theta^+(1540)$ [5–7], of its existence and of its interpretation, has shown limits of the quark model and underlined the need for a deeper understanding of baryon spectroscopy. Here, the study of pentaquarks has played a pioneering role, but any new model has to be tested against the excitation spectrum of the nucleon as well. The properties of baryon resonances are presently under intense investigations at several facilities like ELSA (Bonn), GRAAL (Grenoble), JLab (Newport News), MAMI (Mainz), and SPring-8 (Hyogo). The aim is to identify the resonance spectrum, to determine spins, parities, and decay branching ratios and thus to provide constraints for models.

The largest part of our knowledge on baryons stems from pion-induced reactions. In elastic πN scattering, the unitarity condition provides strong constraints for amplitudes close to the unitarity limit, since production couplings are related directly to the widths of resonances and to the cross-section. If a resonance has however a large inelasticity, its production cross-section in πN scattering is small and it contributes only weakly to the final state. Thus resonances may conceal themselves from observation in elastic scattering. This effect could be a reason why the number of observed states is much smaller than predicted by quark models [2–4]. Information on resonances coupled weakly to the πN channel can be obtained from photoproduction experiments and the study of final states different from πN .

The information from photoproduction experiments is complementary to experiments with hadronic beams and gives access to additional properties like helicity amplitudes. Experiments with polarised photons provide information which may be very sensitive to resonances having a small cross-section. A clear example of such an effect is the observation of the $N(1520)D_{13}$ -resonance in η photoproduction [8]. It contributes very little to the unpolarised cross-section but its interference with $N(1535)S_{11}$ produces a strong effect in the beam asymmetry. Photoproduction can also provide a very strong selection tool: combining a circularly polarised photon beam and a longitudinally polarised target provides a tool to select states with helicity $1/2$ or $3/2$ depending on whether the target polarisation is parallel or antiparallel to the photon helicity.

Baryon resonances have large, overlapping widths rendering difficult the study of individual states, in particular of those only weakly excited. This problem can be overcome partly by looking at specific decay channels. The η meson for example has isospin $I = 0$ and consequently, the $N\eta$ final state can only be reached via formation of N[∗] -resonances. Then even a small coupling of a resonance to $N\eta$ identifies it as N^{*} state. A key point in the

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identification of new baryon resonances is the combined analysis of data on photo- (and pion-) induced reactions with different final states. Resonances must have the same masses, total widths, and gamma-nucleon couplings, in all reactions under study. This imposes strong constraints for the analysis.

In the present paper we report results of a combined analysis of photoproduction experiments with πN , nN , KΛ, and KΣ final states. This work is a first step of a forthcoming analysis of all reactions with production of baryon resonances in the intermediate state. This paper concentrates on the reactions $\gamma p \to N\pi$ and $N\eta$, including available polarisation measurements. Results on photoproduction of open strangeness are presented in a subsequent paper [9].

The outline of the paper is as follows: The fit method is described in sect. 2, data and fit are compared in sect. 3. In sect. 4 we present the main results of this analysis and discuss the statistical significance of new baryon resonances. Interpretations are offered for the new resonances. The paper ends with a short summary in sect. 5.

2 Fit method

2.1 Analytical properties of the amplitude and resonance-Reggeon duality

The choice of amplitudes used to describe the data is partly driven by experimental observations. In pion photoproduction, angular distributions exhibit strong variations indicating the presence of baryon resonances. On the other hand, all data on single-meson photoproduction have prominent forward peaks in the region above 2000 MeV which can be associated with t-channel exchange processes. Regge behaviour, extrapolated to the low-energy region, describes the cross-section in the resonance region "on average". This feature is known as Reggeon-resonance duality (see [10] and references therein). It gave hope for a selfconsistent construction of hadron-hadron interactions in both, the low-energy and the high-energy region. However there is a problem with unitarity: The s-channel unitarity corrections destroy the one-Reggeon exchange picture, while the s-channel resonance amplitudes do not satisfy the t -, u-channel unitarity [11]. So it seems reasonable to extract the resonance structure of the amplitude together with phenomenological reggeized t - and u -channel exchange amplitudes.

The scattering amplitude has the following analytical properties. The partial-wave or multipole amplitudes contain singularities when the scattering particles can form a bound state with mass M . Unstable bound states with a finite width Γ have a pole singularity at $s = M^2 - i\Gamma M$ in the complex plane. At the opening of thresholds, the amplitude acquires a square-root singularity (right-hand singularity); *t*-exchange leads to left-hand singularities at $t = \mu^2$ (one-particle exchange with mass μ), $t = 4\mu^2$ (exchange of two of these particles) and so on. In threebody interactions the three-particle rescattering amplitude gives a triangle singularity which may contribute significantly to the cross-section under some particular kinematical conditions [12]. Triangle singularities grow logarithmically and are thus weaker than a pole or a threshold singularity. In most cases, triangle singularities can be accounted for by introducing phases to resonance couplings.

In our present analysis, the primary goal is to get information about the leading (pole) singularities of the photoproduction amplitude. For this purpose, a representation of the amplitude as a sum of s-channel resonances together with some t - and u -exchange diagrams is an appropriate representation. Strongly overlapping resonances are parameterised as K-matrix. In many cases it is sufficient to use a relativistic Breit-Wigner parameterisation, though.

We emphasise that the amplitudes given below satisfy gauge invariance, analyticity and unitarity. However, when $t_-, u_-,$ and s -channel amplitudes are added, unitarity is violated. In principle, this can be avoided by projecting the t - and u -channel amplitudes onto s -channel amplitudes of defined spins and parities. The projected amplitudes are however small, and the violation of unitarity is mild as long as t - and u -channel amplitudes contribute only a small fraction to the total cross-section. In this analysis, amplitudes for photoproduction of baryon resonances and their decays are calculated in the framework of relativistic tensor operators. The formalism is fully described in [13]; here parameterisations of resonances used under different conditions are given.

2.2 Parameterisations of resonances

The differential cross-section for production of two or more particles has the form

$$
d\sigma = \frac{(2\pi)^4 |A|^2}{4\sqrt{(k_1 k_2)^2 - m_1^2 m_2^2}} d\Phi_n(k_1 + k_2, q_1, \dots, q_n), \quad (1)
$$

where k_i and m_i are the four-momenta and masses of the initial particles (nucleon and γ in the case of photoproduction) and q_i are the four-momenta of final state particles. $d\Phi_n(k_1 + k_2, q_1, \ldots, q_n)$ is the *n*-body phase volume

$$
d\Phi_n(k_1 + k_2, q_1, \dots, q_n) =
$$

$$
\delta^4 \left(k_1 + k_2 - \sum_{i=1}^n q_i \right) \prod_{i=1}^n \frac{d^3 q_i}{(2\pi)^3 2q_{0i}},
$$
 (2)

where q_{0i} is time component (energy). The differential cross-section for photoproduction of single mesons is given by

$$
d\sigma = \frac{\sqrt{(s - (m_{\mu} + m_B)^2))(s - (m_{\mu} - m_B)^2)}}{16\pi s(s - m_N^2)} |A|^2, \quad (3)
$$

where $s = (k_1 + k_2)^2 = (q_1 + q_2)^2$ is the square of the total energy, m_{μ} , $(\mu = \pi, \eta, K)$, m_B $(B = N, \Lambda, \Sigma)$ the meson and baryon masses, respectively.

The η photoproduction cross-section is dominated by $N(1535)S₁₁$. It overlaps with $N(1650)S₁₁$ and the two $S₁₁$ resonances are described as two-pole, four-channel Kmatrix $(\pi N, \eta N, K\Lambda \text{ and } K\Sigma)$. The photoproduction amplitude can be written in the P-vector approach since the

 γ N couplings are weak and do not contribute to rescattering. The amplitude is then given by

 $A_a = \hat{P}_b (\hat{I} - i\hat{\rho}\hat{K})_{ba}^{-1}$. (4)

The phase space $\hat{\rho}$ is a diagonal matrix with

$$
\rho_{ab} = \delta_{ab} \rho_a, \ \ a, b = \pi \mathcal{N}, \eta \mathcal{N}, \mathcal{K}\Lambda, \mathcal{K}\Sigma
$$
 (5)

and

$$
\rho_a(s) = \frac{\sqrt{(s - (m_\mu + m_B)^2))(s - (m_\mu - m_B)^2)}}{s}.
$$
 (6)

The production vector \hat{P} and the K-matrix \hat{K} have the following parameterisation:

$$
K_{ab} = \sum_{\alpha} \frac{g_a^{(\alpha)} g_b^{(\alpha)}}{M_\alpha^2 - s} + f_{ab}, \quad P_b = \sum_{\alpha} \frac{g_{\gamma N}^{(\alpha)} g_b^{(\alpha)}}{M_\alpha^2 - s} + \tilde{f}_b,
$$
\n
$$
(7)
$$

where M_{α} , $g_{a}^{(\alpha)}$ and $g_{\gamma N}^{(\alpha)}$ are the mass, coupling constant and production constant of the resonance α ; f_{ab} and \tilde{f}_b are non-resonant terms.

Other resonances were taken as Breit-Wigner amplitude: \sim \sim \sim

$$
A_a = \frac{g_{\gamma N} g_a(s)}{M^2 - s - i M \tilde{\Gamma}_{\text{tot}}(s)}.
$$
 (8)

States with masses above 1700 MeV were parameterised with a constant width to fit exactly the pole position. For resonances below 1700 MeV, $\tilde{\Gamma}_{\text{tot}}(s)$ was parameterised by

$$
\tilde{\Gamma}_{\text{tot}}(s) = \Gamma_{\text{tot}} \frac{\rho_{\pi N}(s) k_{\pi N}^{2L}(s) F^{2}(L, k_{\pi N}^{2}(M^{2}), r)}{\rho_{\pi N}(M^{2}) k_{\pi N}^{2L}(M^{2}) F^{2}(L, k_{\pi N}^{2}(s), r)},
$$
\n
$$
k_{a}^{2}(s) = \frac{(s - (m_{\mu} + m_{B})^{2}))(s - (m_{\mu} - m_{B})^{2})}{4s}.
$$
\n(9)

Here, L is the orbital momentum and k is the relative momentum for the decay into πN ($\mu = \pi$, $B = N$). $F(L, k^2, r)$ are Blatt-Weiskopf form factors, taken with a radius $r = 0.8$ fm. The exact form of these factors can be found e.g. in [13]. $g_{\gamma N}$ is the production coupling and \tilde{g}_a are decay couplings of the resonance into meson nucleon channels. These couplings are suppressed at large energies by a factor

$$
\tilde{g}_a(s) = g_a \sqrt{\frac{1.5 \,\text{GeV}^2}{1.0 \,\text{GeV}^2 + k_a^2}}.
$$
\n(10)

The factor proved to be useful for two-meson photoproduction. For photoproduction of single mesons, it plays almost no role and is only introduced here for the sake of consistency.

The partial widths are related to the couplings as

$$
M\Gamma_a = \tilde{g}_a^2 \frac{\rho_a (M^2) k_{M^2}^{2L}}{F^2(L, k_{M^2}^2, r)} \frac{m_B + \sqrt{m_B^2 + k_a^2}}{2m_B} \beta_L ,
$$

$$
\beta_L = \frac{1}{L} \prod_{l=1}^L \frac{2l-1}{l}, \qquad J = L - \frac{1}{2},
$$

$$
\beta_L = \frac{1}{2L+1} \prod_{l=1}^L \frac{2l-1}{l}, \quad J = L + \frac{1}{2}. \tag{11}
$$

Here J is the total momentum of the state.

2.3 t- and u-channel exchange parameterisations

At high energies, there are clear peaks in the forward direction of photoproduced mesons. The forward peaks are connected with meson exchanges in the t-channel. These contributions are parameterised as π , $\rho(\omega)$, K, and K^{*} exchanges.

These contributions are reggeized by using [14]

$$
T(s,t) = g_1(t)g_2(t)\frac{1+\xi\exp(-i\pi\alpha(t))}{\sin(\pi\alpha(t))}\left(\frac{\nu}{\nu_0}\right)^{\alpha(t)},
$$

$$
\nu = \frac{1}{2}(s-u).
$$
 (12)

Here, g_i are vertex functions, $\alpha(t)$ is a function describing the trajectory, ν_0 is a normalisation factor (which can be taken to be 1) and ξ is the signature of the trajectory. Exchanges of π and K have positive, ρ , ω , and K^{*} exchanges have negative signature.

For $\rho(\omega)$ exchange, $\alpha(t) = 0.50 + 0.85t$. The pion trajectory is given by $\alpha(t) = -0.014 + 0.72t$, the K^{*} and K trajectories are represented by $\alpha(t) = 0.32 + 0.85t$ and $\alpha(t) = -0.25 + 0.85t$, respectively. The full expression for the t-channel amplitudes can be found in [13].

The u-channel exchanges were parameterised as nucleon, Λ , or Σ exchanges.

3 Fits to the data

In this paper, we report results on baryon resonances and their coupling to $N\pi$ and $N\eta$. The results are based on a coupled-channel analysis of various data sets on photoproduction of different final states. The data comprise CB-ELSA π^0 and η photoproduction data [15,16], the Mainz-TAPS data [17] on η photoproduction, beam-asymmetry measurements of π^0 and η [18–20], and data on $\gamma p \to n\pi^+$ [21]. The high-precision data from GRAAL [18] do not cover the low-mass region; therefore we extract further data from the compilation of the SAID database [19]. This data allows us to define the ratio of helicity amplitudes for the $\Delta(1232)P_{33}$ -resonance.

Data on photoproduction of K⁺ Λ , K⁺ Σ , and K⁰ Σ ⁺ from SAPHIR [22] and CLAS [23], and beam asymmetry data for $K^+\Lambda$, $K^+\Sigma$ from LEPS [24] are also included in the coupled-channel analysis. The results on couplings of baryon resonances to $\mathrm{K}^+ \Lambda$ and $\mathrm{K}^+ \Sigma$ are documented in a subsequent paper [9].

The fit uses 14 N^{*}-resonances coupling to N π , N η , KΛ, and KΣ and 7 Δ -resonances coupling to Nπ and KΣ. Most resonances are described by relativistic Breit-Wigner amplitudes. For the two S_{11} -resonances at 1535 and 1650 MeV, a four-channel K-matrix (N π , N η , K Λ , $K\Sigma$) is used. The background is described by reggeized t-channel π , $\rho(\omega)$, K and K^{*} exchanges and by baryon exchanges in the s - and u -channels.

Fig. 1. Differential cross-section for $\gamma p \to p\pi^0$ from CB-ELSA and PWA result (solid line). The left part of the figure shows the contribution of $\Delta(1232)P_{33}$ together with non-resonant background (dashed line), the two S₁₁-resonances (dotted line) and $N(1520)D_{13}$ (dash-dotted line); in the right figure, the contributions of $\Delta(1700)D_{33}$ (dashed line) and $N(1680)F_{15}$ (dotted line) are shown.

The χ^2 values for the final solution of the partial-wave analysis are given in table 1. Weights are given to the different data sets included in this analysis with which they enter the fits. In the choice of weights, some judgement is needed. High statistics data should have a significant impact on the data but should not lead to larger deviations between data and fit for low statistics data. If this was observed, the weight of a high statistics data set was reduced. Data on strangeness production were given small weights as to avoid that these data influence masses and width of resonances seen in photoproduction of pions and η 's. An exception is made for the data [24] which were badly described when they had a low weight. Giving them a large

weight led to a reasonable description of these data without noticeable changes anywhere else. For the final evaluation of the errors, fits using a variety of weights were performed but only those fits were used in the error evaluation which led simultaneously to acceptable fits of all data sets.

The fit minimises a pseudo-chisquare function which we call χ^2_{tot} . It is given by

$$
\chi_{\text{tot}}^2 = \frac{\sum w_i \chi_i^2}{\sum w_i N_i} \sum N_i \tag{13}
$$

where the N_i are given as N_{data} (per channel) in the 2nd column of table 1 and the weights in the last column.

Table 1. Data used in the partial-wave analysis, χ^2 contributions and fitting weights.

| Observable | $N_{\rm data}$ | $\chi^{\overline{2}}$ | χ^2/N | Weight | Ref. |
|-------------------------------------|----------------|-----------------------|------------|----------------|--------------------|
| $\sigma(\gamma p \to p \pi^0)$ | 1106 | 1654 | 1.50 | 8 | $\left[15\right]$ |
| $\sigma(\gamma p \to p \pi^0)$ | 861 | 2354 | 2.74 | 3.5 | [18] |
| $\Sigma(\gamma p \to p \pi^0)$ | 469 | 1606 | 3.43 | $\overline{2}$ | [18] |
| $\Sigma(\gamma p \to p \pi^0)$ | 593 | 1702 | 2.87 | $\overline{2}$ | [19] |
| $\sigma(\gamma p \to n\pi^+)$ | 1583 | 4524 | 2.86 | 1 | [21] |
| $\sigma(\gamma p \to p\eta)$ | 100 | 158 | 1.60 | $\overline{7}$ | $[17]$ |
| $\sigma(\gamma p \to p\eta)$ | 667 | 608 | 0.91 | 35 | $[16]$ |
| $\Sigma(\gamma p \to p\eta)$ | 51 | 114 | 2.27 | 10 | [20] |
| $\Sigma(\gamma p \to p\eta)$ | 100 | 174 | 1.75 | 10 | [18] |
| $\sigma(\gamma p \to \Lambda K^+)$ | 720 | 804 | 1.12 | $\overline{4}$ | $[22]$ |
| $\sigma(\gamma p \to \Lambda K^+)$ | 770 | 1282 | 1.67 | $\overline{2}$ | $[23]$ |
| $P(\gamma p \to \Lambda K^+)$ | 202 | 374 | 1.85 | 1 | $\left[23\right]$ |
| $\Sigma(\gamma p \to \Lambda K^+)$ | 45 | 62 | 1.42 | 15 | [24] |
| $\sigma(\gamma p \to \Sigma^0 K^+)$ | 660 | 834 | 1.27 | 1 | [22] |
| $\sigma(\gamma p \to \Sigma^0 K^+)$ | 782 | 2446 | 3.13 | 1 | [23] |
| $P(\gamma p \to \Sigma^0 K^+)$ | 95 | 166 | 1.76 | 1 | [23] |
| $\Sigma(\gamma p \to \Sigma^0 K^+)$ | 45 | 20 | 0.46 | 35 | [24] |
| $\sigma(\gamma p \to \Sigma^+ K^0)$ | 48 | 104 | 2.20 | $\overline{2}$ | [23] |
| $\sigma(\gamma p \to \Sigma^+ K^0)$ | 120 | 109 | 0.91 | 5 | [25] |

3.1 Fit to the p π^0 data

The differential cross-sections for the CB-ELSA $\gamma p \to p \pi^0$ data are shown in fig. 1. The main fit is represented as solid line. The figure also shows the most important individual contributions. The contribution of $\Delta(1232)$ (given as dashed line, on the left panel) dominates the lowenergy region, for small photon energies it even exceeds the experimental cross-section, thus underlining the importance of interference effects. Non-resonant background amplitudes, given by a pole at $s \sim -1 \text{ GeV}^2$ and by a u-channel exchange diagram, are needed to describe the shape of the $\Delta(1232)$. The pole at negative s represents the left-hand cuts.

The two S_{11} -resonances at 1535 and at 1650 MeV are described as K-matrix. Their sum is depicted as dotted line. The S₁₁ contribution is flat in $\cos\Theta_{\rm cm}$. The contribution of the $D_{13}(1520)$ is shown as dash-dotted line in fig. 1 (left panel). It is strong in the 1400–1600 MeV mass region. At higher energies (fig. 1, right panel) the most significant contributions come from $\Delta(1700)D_{33}$ (dashed line) and from N(1680)F₁₅ (dotted line). For invariant $p\gamma$ masses above 1800 MeV, the most forward point in fig. 1 is not reproduced by the fit. If this point is given a very small error (to ensure that the fit describes these points), the overall agreement between data and fit becomes somewhat worse; resonance masses and widths change by a few MeV, at most.

dσ**/d**Ω [µ**b/sr**]

Fig. 2. Differential cross-section for $\gamma p \to p\pi^0$ from GRAAL and PWA results (solid line).

Recent data from GRAAL [18] on the differential crosssection for $\gamma p \to p\pi^0$ and on the photon beam asymmetry Σ are compared to our fit in figs. 2 and 3; older beam asymmetry data are shown in fig. 4.

3.2 Fit to $n\pi^+$ photoproduction data

It is important to include data on $n\pi^+$ photoproduction since the combination of the $n\pi^+$ and $p\pi^0$ channels defines the isospin of s-channel baryons. Without this information, pairs of resonances like $N(1700)D_{13}$ and $\Delta(1700)D_{33}$ cannot be separated. A fit with both having large destructively interfering amplitudes may give a good χ^2 even though the fit is physically meaningless. For $\gamma p \to N^* \to n\pi^+$ the isotopic coefficient is equal to $\sqrt{2/3}$, for $\gamma p \to N^* \to p\pi^0$ it is equal to $-\sqrt{1/3}$. In case of Δ photopro duction, the respective isotopic coefficients are $\sqrt{1/3}$ for $n\pi$ ⁺ and $\sqrt{2/3}$ for $p\pi$ ⁰.

Fig. 3. Photon beam asymmetry Σ for $\gamma p \rightarrow p\pi^0$ from GRAAL [18] and PWA results (solid line).

| | ∠ | | | | | | |
|----------|--|---------------------------------------|------------------------|--------------------------|--------------------------|--|--|
| 11 | 1201 | 1209 | 1217 | 1224 | 1227 | | |
| 0.5 | معموم | დემი ^ე ბრ ი ი გ | CONCRETE DES | ەھەمە | ക്കൈ ó | | |
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| 1 | 1270 | 1277 | 1284 | 1292 | 1313 | | |
| 0.5 | 000000 | . დაათა \bullet | $\frac{1}{2}$ | <u>കുകേ^ള്</u> | ೕೄೄ | | |
| 1 | 1348 | 1365 | 1383 | 1400 | 1414 | | |
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| 0 | | | | | | | |
| 1 | 1427 | 1433 | 1439 | 1450 | 1462 | | |
| 0.5 | ಀಀಀೢಀಀೢಀಀೲಁ | ക—ക | Agoooooogga | ೲಀ ೱಀೲೲ | ೲಀೢೲಀೲಀೲ | | |
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| 0.5 | مهـــــعے | | | | | | |
| 0 | | | | | | | |
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| 0.5 | | <i><i><u>Boopee</u></i></i> | | BOOTBOOTBOOT | ം ക്കുക്കുകൾ | | |
| 0 | | | | | | | |
| 1 | 1543 | 1548 | 1558 | 1569 | 1573 | | |
| 0.5 | cococo o | ೲಀ ೲೲ ೲ | | Peeacooooooooooooo | ookagoo | | |
| 0 | | | | | | | |
| 1 | 1579 | 1588 | 1599 | 1603 | -0.5 0 0.5 1 | | |
| 0.5 0 | cocococococo | ෧෧෯ඁ ^{෨෧෯෨෧} ෨෯ | brecoggepearche | ao 6000 | $cos \theta_{cm}$ | | |
| | -1 -0.5 0 0.5 1 -0.5 0 0.5 1 -0.5 0 0.5 1 -0.5 0 0.5 1 | | | | | | |

Fig. 4. Photon beam asymmetry Σ for $\gamma p \to p\pi^0$ from [19] and PWA results (solid line).

Fig. 5. Differential cross-section for $\gamma p \to n\pi^+$ from [21] and PWA results (solid line).

Differential cross-sections for $\gamma p \to n\pi^+$ [21] and PWA results are compared in fig. 5. In addition to resonances, a significant contribution stems from t-channel π and ρ exchanges (about 10% and 30%, respectively). This reaction has a large number of data points with small statistical errors but the largest ambiguities in its interpretation. Hence, a small weight is given to this channel to avoid that it has a significant impact on baryon masses, widths, or coupling constants. It was only used to stabilise the fits in case of isospin ambiguities.

Σ

Fig. 6. Differential cross-section for $\gamma p \to p \eta$ from Mainz-TAPS data [17] and PWA results (solid line).

3.3 Fit to the $p\eta$ channel

Differential cross-sections for $\gamma p \rightarrow p \eta$ in the threshold region were measured by the TAPS Collaboration at MAINZ [17]. Data and fit are shown in fig. 6. In the threshold region, the dominant contribution comes from the $N(1535)S_{11}$ -resonance which gives a flat angular distribution. This resonance strongly overlaps with $N(1650)S_{11}$, and a two-pole K-matrix parameterisation is used in the fit.

The CB-ELSA differential cross-section [16] is given in fig. 7 and compared to the PWA results. The contribution of the two S_{11} -resonances (dashed line, below 2 GeV) dominates the η production region up to 1650 MeV. The most significant further contributions stem from production of $N(1720)P_{13}$ (dotted line, below 2 GeV), of $N(2070)D_{15}$ (dashed line, above 2 GeV) and $\rho(\omega)$ exchanges (dotted line, above 2 GeV).

Data on the photon beam asymmetry Σ for $\gamma p \to p\eta$, measured by GRAAL [18] are shown in fig. 8. This data provides essential information on baryon resonances even if their (p γ)- and/or (p η)-couplings are weak. In addition, the beam asymmetry data are necessary to determine the ratio of helicity amplitudes.

4 Results

4.1 Total cross-sections

From the differential cross-sections presented in figs. 1 and 7, absolute cross-sections were determined by integration. The integration is performed by summation of

Fig. 7. Differential cross-section for $\gamma p \to p\eta$ from CB-ELSA and PWA results (solid line) [16]. In the mass range below $2 \, \rm GeV$ the contribution of the two $\rm S_{11}$ -resonances is shown as dashed line and that of $N(1720)P_{13}$ as dotted line. Above 2 GeV the contributions of N(2070)D₁₅ (dashed line) and $\rho(\omega)$ exchange (dotted line) are shown.

Fig. 8. Photon beam asymmetry Σ for $\gamma p \rightarrow p \eta$ from GRAAL [20] and PWA results (solid line).

the differential cross-sections (dots with error bars) and using extrapolated values for bins with no data, and by integration of the fit curve.

In the total cross-section for π^0 photoproduction in fig. 9, clear peaks are observed for the first, second, and third resonance region. With some good will, the fourth resonance region can be identified as broad enhancement at about 1900 MeV. The decomposition of the peaks into partial waves and their physical significance will be discussed below.

The η photoproduction cross-section (fig. 10) shows the known strong peak at threshold due to the $S_{11}(1535)$. The cross-section exhibits indications for one further resonance below 1800 MeV.

4.2 The best solution

The masses and widths of the observed states are presented in table 2. Additionally, ratios of helicity amplitudes $A_{1/2}/A_{3/2}$ and fractional contributions normalised to the total cross-section for the CB-ELSA π ⁰- and η photoproduction data are included.

A large number of fits (explorative fits plus more than 1000 documented fits) were performed to validate the solution. In these fits the number of resonances, their spin and parity, their parameterisation, and the relative weight of the different data sets were changed.

The errors are estimated from a sequence of fits in which one variable, e.g. a width of one resonance, was changed to series of fixed values. All other variables were allowed to adjust freely; the χ^2 changes were monitored as a function of this variable. The errors given in table 2 correspond to χ^2 changes of 9, hence to three standard

Fig. 9. Total cross-section (logarithmic scale) for the reaction $\gamma p \to p\pi^0$ obtained by integration of angular distributions of the CB-ELSA data and extrapolation into forward and backward regions using our PWA results. The solid line represents the results of the PWA.

Fig. 10. Total cross-section (logarithmic scale) for the reaction $\gamma p \rightarrow p \eta$ [16]. Data from other experiments are shown in grey. The black squares represent the summation over the angular bins (bins not covered by measurements are taken from the fit), the solid line represents our fit. The errors are dominantly due to uncertainties in the normalization. The contributions of the two S_{11} -resonances, of $N(1720)P_{13}$, of $N(2070)D_{15}$, and of the background amplitudes (mainly $\rho(\omega)$ exchange) are shown as well.

deviations. However, the 3σ interval corresponds better to the systematic changes observed when changing the fit hypothesis.

The resonance properties are compared to PDG values [26]. Most resonance parameters converge in the fits to values compatible with previous findings within a 2σ interval of the combined error. The helicity ratios sometimes

| Resonance | M (MeV) | Γ (MeV) | $A_{1/2}/A_{3/2}$ | Fraction | Fraction | PDG rating | |
|----------------------------|--------------------|----------------------|----------------------|-------------------------------|------------------------|------------|-----------|
| | | | | $\gamma p \rightarrow p \eta$ | $\gamma p \to p \pi^0$ | overall | $N\gamma$ |
| $N(1440)P_{11}$ | 1450 ± 50 | 250 ± 150 | | | 0.007 | | |
| PDG | 1440^{+30}_{-10} | 350 ± 100 | | | | **** | *** |
| $N(1520)D_{13}$ | 1526 ± 4 | 112 ± 10 | -0.02 ± 0.10 | 0.030 | 0.140 | | |
| PDG | 1520^{+10}_{-5} | 120^{+15}_{-10} | -0.14 ± 0.06 | | | **** | **** |
| $N(1535)S_{11}^{(a)}$ | 1530 ± 30 | 210 ± 30 | | | | | |
| PDG | 1505 ± 10 | 170 ± 80 | | | | **** | *** |
| $N(1650)S_{11}^{(a)}$ | 1705 ± 30 | 220 ± 30 | | 0.830 | 0.170 | | |
| PDG | 1660 ± 20 | 160 ± 10 | | | | *** | **** |
| $N(1675)D_{15}$ | 1670 ± 20 | 140 ± 40 | 0.40 ± 0.25 | 0.002 | 0.001 | | |
| PDG | 1675^{+10}_{-5} | 150^{+30}_{-10} | 1.27 ± 0.93 | | | **** | **** |
| $N(1680)F_{15}$ | 1667 ± 6 | 102 ± 15 | -0.13 ± 0.05 | 0.005 | 0.069 | | |
| PDG | 1680^{+10}_{-5} | 130 ± 10 | -0.11 ± 0.05 | | | **** | **** |
| $N(1700)D_{13}$ | 1725 ± 15 | 100 ± 15 | 0.45 ± 0.25 | 0.044 | 0.002 | | |
| PDG | 1700 ± 50 | 100 ± 50 | 9.00 ± 6.5 | | | *** | $***$ |
| $N(1720)P_{13}$ | 1750 ± 40 | 380 ± 40 | 1.5 ± 1.1 | 0.400 | 0.016 | | |
| PDG | 1720^{+30}_{-70} | 250 ± 50 | -0.9 ± 1.8 | | | *** | $***$ |
| $N(1840)P_{11}$ | 1840^{+15}_{-40} | 140^{+30}_{-15} | | 0.029 | 0.003 | new | new |
| PDG | 1710 ± 30 | 100^{+150}_{-50} | | | | *** | *** |
| $N(1875)D_{13}$ | 1875 ± 25 | 80 ± 20 | 1.20 ± 0.45 | 0.013 | 0.000 | new | new |
| $N(2000)F_{15}$ | 1850 ± 25 | 225 ± 40 | 0.13 ± 1.10 | 0.010 | 0.004 | | new |
| PDG | ~ 2000 | | | | | $***$ | |
| $N(2070)D_{15}$ | 2060 ± 30 | 340 ± 50 | 1.10 ± 0.30 | 0.195 | 0.012 | new | new |
| $N(2170)D_{13}$ | 2166^{+25}_{-50} | 300 ± 65 | -1.40 ± 0.80 | 0.003 | 0.002 | new | new |
| PDG | ~ 2080 | | | | | $***$ | \ast |
| $N(2200)P_{13}$ | 2200 ± 30 | 190 ± 50 | -0.35 ± 0.40 | 0.015 | 0.000 | new | new |
| $\Delta(1232)P_{33}^{(b)}$ | 1235 ± 4 | 140 ± 12 | 0.44 ± 0.06 | | 0.709 | | |
| PDG | 1232 ± 2 | 120 ± 5 | 0.53 ± 0.04 | | | **** | **** |
| $\Delta(1620)S_{31}$ | 1635 ± 6 | 106 ± 12 | | | 0.023 | | |
| ${\rm PDG}$ | 1620^{+55}_{-5} | 150 ± 30 | | | | **** | *** |
| $\Delta(1700)D_{33}$ | 1715 ± 20 | 240 ± 35 | 1.15 ± 0.25 | | 0.056 | | |
| PDG | 1700^{+70}_{-30} | 300 ± 100 | $1.2^{+0.6}_{-0.4}$ | | | **** | *** |
| $\Delta(1905)F_{35}$ | 1870 ± 50 | 370 ± 110 | >10 | | 0.001 | | |
| PDG | 1905^{+15}_{-35} | 350^{+90}_{-70} | $-0.6^{+0.4}_{-0.9}$ | | | **** | *** |
| $\Delta(1920)P_{33}$ | 1996 ± 30 | 380 ± 40 | 0.45 ± 0.20 | | 0.050 | | |
| PDG | 1920^{+50}_{-20} | $200^{+100}_{-50}\,$ | $1.7^{+7}_{-1.0}$ | | | **** | \ast |
| $\Delta(1940)D_{33}$ | 1930 ± 40 | 200 ± 100 | 0.20 ± 0.40 | | 0.010 | | new |
| PDG | ~ 1940 | | | | | \ast | |
| $\Delta(1950)F_{37}$ | 1893 ± 15 | 240 ± 30 | 0.75 ± 0.11 | | 0.027 | | |
| ${\rm PDG}$ | 1950 ± 10 | 300^{+50}_{-10} | 0.8 ± 0.2 | | | **** | **** |

Table 2. Masses, widths and helicity ratio, this analysis.

 $\binom{a}{k}$ K-matrix fit, pole position of the scattering amplitude in the complex plane, fraction for the total K-matrix contribution.

(b) This contribution includes non-resonant background.

Table 3. Changes in χ^2 when one of the new resonances is omitted or replaced by a resonance with different spin and parity J^P . The changes are given for the χ^2_{tot} (13) and the χ^2 contributions for individual final states calculated analogously.

| Resonance | $N(2070)D_{15}$ | | | | |
|------------------|------------------------------|-----------------------------|-------------------------------|--|-----------------------------------|
| J^P | $\varDelta \chi^2_{\rm tot}$ | $\Delta\chi^2_{\rm p\pi^0}$ | $\Delta\chi^2_{\rm p\eta}$ | $\overline{\Delta\chi^2_{\Lambda\rm K^+}}$ | $\varDelta\chi^2_{\Sigma{\rm K}}$ |
| omitted | 1589 | 940 | 199 | 94 | 269 |
| repl. by $1/2^-$ | 1027 | 669 | 128 | 111 | -45 |
| repl. by $3/2^-$ | 1496 | 851 | 214 | -46 | 157 |
| repl. by $7/2^-$ | 1024 | 765 | 108 | -1 | 19 |
| repl. by $9/2^-$ | 872 | 656 | 112 | -9 | 118 |
| repl. by $1/2^+$ | 832 | 674 | 115 | 55 | 33 |
| repl. by $3/2^+$ | 1050 | 690 | 141 | -42 | 20 |
| repl. by $5/2^+$ | 766 | 627 | 113 | 48 | 123 |
| repl. by $7/2^+$ | 807 | 718 | 112 | -67 | 215 |
| repl. by $9/2^+$ | 1129 | 847 | 131 | 7 | -9 |
| Resonance | $N(2200)P_{13}$ | | | | |
| J^P | $\Delta\chi^2_{\rm tot}$ | $\Delta\chi^2_{\rm p\pi^0}$ | $\varDelta\chi^2_{\rm p\eta}$ | $\overline{\Delta\chi^2_{\Lambda\rm K^+}}$ | $\varDelta\chi^2_{\Sigma{\rm K}}$ |
| omitted | 190 | 1 | 37 | 43 | 20 |
| repl. by $1/2^-$ | 46 | -18 | 10 | 40 | θ |
| repl. by $7/2^-$ | 10 | -10 | 7 | 23 | 17 |
| repl. by $9/2^-$ | 18 | -82 | 8 | 16 | 16 |
| repl. by $1/2^+$ | 50 | -8 | 9 | 26 | 42 |
| repl. by $5/2^+$ | 17 | -15 | 10 | 21 | 5 |
| repl. by $7/2^+$ | 13 | -13 | 13 | -10 | 18 |
| repl. by $9/2^+$ | 19 | -9 | 5 | 14 | 17 |

seem to be inconsistent, however they have large errors and the discrepancies are not really significant.

The inclusion of three new resonances improves the description of the data significantly, $N(1875)D_{13}$, $N(2070)D_{15}$ and $N(2200)$ with uncertain spin and parity. The best fit is achieved for P_{13} quantum numbers. Two further resonances for which evidence is found, $N(1840)P_{11}$ and $N(2170)D_{13}$, have masses which are not consistent with established resonances listed by the PDG. We list them also as new resonances. Two resonances, N(2000)F₁₅ and $\Delta(1940)D_{33}$, are observed for the first time in photoproduction. PDG mass values for $N(2000)F_{15}$ range from 1882 to 2175 MeV. We find a mass of (1850±25) MeV. Our mass for $\Delta(1940)D_{33}$ is fully compatible with PDG. The $\Delta(1940)D_{33}$ contributes only at a marginal level. The χ^2_{tot} changes by 143 units when this resonance is omitted. The $\Delta(1950)F_{37}$ is observed here at $1893 \pm 15 \,\text{MeV}$ instead of (PDG) $1950 \pm 10 \,\text{MeV}$.

In this paper we concentrate on the $N(2070)D_{15}$ and N(2200). The N(1840) P_{11} , N(1875) D_{13} , and N(2170) D_{13} do not significantly contribute to $\gamma p \to p\pi^0$, $p\eta$ and have large couplings to $K\Lambda$ and/or $K\Sigma$. They will be discussed in [9].

Finally, a comment is made on resonances with known photocouplings but not seen in this analysis. $N(1990)F_{17}$, $\Delta(1600)P_{33}, \Delta(1910)P_{33}, \Delta(1930)D_{35}, \Delta(2420)H_{311}$, and $N(2190)G_{17}$ are not observed here. The latter resonance may however be misinterpreted as $N(2200)P_{13}$ (see table 3). The photocouplings of most of these resonances are seen with weak evidence (one-star rating); only $\Delta(1600)P_{33}$ has a three-star photocoupling, and the $\Delta(1930)D_{35}$ photocoupling has 2 stars. We have no explanation as to why these states are missing in this analysis. The $\Delta(1900)S_{31}$, $\Delta(1940)D_{33}$, and $\Delta(1930)D_{35}$ may form a spin triplet with intrinsic orbital angular momentum $L = 1$ and total spin $S = 3/2$ coupling to $J = 1/2, 3/2$, and 5/2 as suggested in [27]. Two of these states are not observed in this analysis. Quark models do not reproduce these states predicting them to have masses above 2.1 GeV. Hence, the question remains open if these states exist at such a low mass.

4.3 Significance of resonance contributions

A systematic study of the significance of new resonances was carried out. For new resonances the quantum numbers were changed to any J^P value with $J \leq 9/2$. In the new fits, all variables were left free for variations including masses, widths, and couplings of all resonances. The result of this study is summarised in table 3. The table illustrates the global deterioration of the fit and the χ^2 changes for the individual channels. Negative χ^2 changes indicate that the best quantum numbers are enforced by other data.

The $N(2070)D_{15}$ is the most significant new resonance. Omitting it changes χ^2_{tot} by 1589, by 199 for the data on η photoproduction and by 940 for the data on π^0 photoproduction. Replacing the J^P assignment from $5/2^-$ to $1/2^{\pm}$, ..., $9/2^{\pm}$, the χ^2_{tot} deteriorates by more than 750. The deterioration of the fits is visible in the comparison of data and fit. One of the closest descriptions for η photoproduction was obtained fitting with a $7/2^-$ state. In this case, fig. 11 a shows the fits of the differential crosssection in the region of the resonance mass. The shape of the differential cross-section at small angles is close in both cases, however the $7/2^-$ state failed to describe the very forward two points. The beam asymmetry measurements do not extend into this mass range, so we give predictions for Σ for the two spin-parity assignments in fig. 11. The π^0 photoproduction cross-sections measured by CB-ELSA are visually not too sensitive to $5/2^-$ and $7/2^-$ quantum numbers (see fig. 11 c) but there is a visible difference in fig. 11 d between the two descriptions in the very backward region. These data were obtained after evidence for $N(2070)D_{15}$ was reported in [15] and confirmed $5/2^-$ as favoured quantum numbers. For the very forward point in fig. 11 b, see the discussion in sect. 3.1.

The mass scan of the $D_{15}(2070)$ -resonance $(\chi^2$ as a function of the assumed D_{15} mass) is shown in fig. 12. In the scan, the mass of the D_{15} was fixed at a number of values covering the region of interest while all other fit parameters were allowed to adjust newly. The sum of χ^2 for π^0 photoproduction data (CB-ELSA, GRAAL05) does not show any minimum in this region; the destributions are very flat. Figure 12a shows separately the sum

Fig. 11. Differential cross-section (a), beam asymmetry (b, predicted curves) from the reaction $\gamma p \to p \eta$ and differential cross-sections for π^0 photoproduction from CB-ELSA (c) and GRAAL05 (d). Our best PWA fit with $N(2070)D_{15}$ is shown as solid line, the dotted line shows a fit when the $5/2^-$ -resonance is replaced by a $7/2^-$ state.

Fig. 12. The result of $D_{15}(2070)$ mass scan. a) 1: $d\sigma/d\Omega$ for $\gamma p \to p \eta$ (CB-ELSA); 2: sum of all reactions with ΛK^+ final state multiplied with $1/5$; 3: sum of all reactions with ΣK final state multiplied with 1/5. b) The total χ^2 for all reactions shown in a).

of χ^2 contributions from the CB-ELSA differential crosssection plus the GRAAL04 polarisation data, and the sum of the χ^2 for all Λ K⁺ and all Σ K reactions. A clear minimum is seen in all three data sets. The sum of χ^2 for all these reactions is given in fig. 12b. The shaded area corresponds to the mass range assigned to this resonance, (2060 ± 30) MeV. We conclude that the D₁₅(2070) is identified in its decays into Nη, Λ K⁺ and ΣK. Its coupling to $N\pi$ is weak, hence it is not surprising that it was not observed in pion-induced reactions.

The N(2200)-resonance is less significant. Omitting $N(2200)$ from the analysis, changes χ^2 for the CB-ELSA

Fig. 13. The result of P₁₃(2200) mass scan. a) 1: $d\sigma/d\Omega$ for $\gamma p \to p \pi^0$ (CB-ELSA); 2: $d\sigma/d\Omega$ for $\gamma p \to p \eta$ (CB-ELSA); 3: sum of all reactions with ΛK^+ final state; 4: sum of all reactions with ΣK final state. b) The total χ^2 for all reactions shown in a).

data on η photoproduction by 56, and by 20 for the π^0 photoproduction data. Other quantum numbers than the preferred P_{13} lead to marginally larger χ^2 values. The mass scan for this state is shown in fig. 13. The photoproduction data on $d\sigma/d\Omega$ from CB-ELSA does not show any minimum, η photoproduction data exhibit a shallow minimum slightly above 2200 MeV. The sum of all Λ K⁺ and KΣ reactions also have a minimum in this mass region. The sum of χ^2 for all these reactions is shown in fig. 13 b and from this distribution the resonance mass can be well defined.

4.4 The four resonance regions

The first resonance region dominates pion photoproduction and is due to the excitation of the $\Delta(1232)P_{33}$. Its fractional contribution to $\gamma p \to p \pi^0$ (table 2) exceeds 1. There is strong destructive interference between $\Delta(1232)P_{33}$, the P₃₃ non-resonant amplitude and u-channel exchange. In the fit without latest GRAAL data on the cross-section and beam asymmetry [18] the $A_{1/2}/A_{3/2}$ helicity ratio of excitation of the $\Delta(1232)P_{33}$ was found to be 0.52 ± 0.06 which agrees favorably with the PDG average 0.53 ± 0.04 . With the new GRAAL05 data included, this value shifted to 0.44 ± 0.06 . The N(1440)P₁₁ Roper resonance provides a small contribution of about 1– 3% compared to the $\Delta(1232)P_{33}$.

In the $p\pi^0$ final state $N(1520)D_{13}$ and the two S_{11} resonances yield contributions of similar strengths to the second resonance region. This is consistent with the known photocouplings and $p\pi$ branching fractions of the three resonances.

The third bump in the $p\pi^0$ total cross-section is due to three major contributions: the $\Delta(1700)D_{33}$ -resonance provides the largest fraction (\sim 35%) of the peak, followed by N(1680)F₁₅ (\sim 25%) and N(1650)S₁₁ (\sim 20%) as extracted from the K-matrix parameterisation; observed as well are the $\Delta(1620)S_{31}$ (∼7%) and N(1720)P₁₃ (∼6%) resonances. The latter contributes to $p\eta$ with a surprisingly large fraction; about 90% of the resonant intensity in this mass region is assigned to $N(1720)P_{13} \rightarrow p\eta$ decays.

Fig. 14. N^* -resonances with quantum numbers which can be assigned to orbital angular momentum excitations with $L = 1, 2, 3$. The quark spin, $S = 1/2$ or $S = 3/2$, and the orbital angular momentum couple to the total spin J. Note that mixing between states of the same parity and total angular momentum is possible. Resonances with strong coupling to the $N\eta$ channel are marked in grey.

In the fourth resonance region we identify $\Delta(1950)F_{37}$ contributing \sim 41% to the enhancement and $\Delta(1920)P_{33}$ with \sim 35%. Additionally, the fit requires the presence of $\Delta(1905)F_{35}$ and $\Delta(1940)D_{33}$. The high-energy region is dominated by $\rho(\omega)$ exchange in the t channel as can be seen by the forward peaking in the differential crosssections.

4.5 Discussion

Evidence for four new resonances are found in this analysis. The question arises of course as to why these resonances have not been found before. $N(2070)D_{15}$ has a large coupling to $N\eta$ and may therefore have escaped discovery. The $N(1875)D_{13}$ and $N(2170)D_{13}$ states couple strongly to the K Λ and K Σ channels; the existence of the first state has already been suggested in [28] from an analysis of older SAPHIR data on $\gamma p \to K\Lambda$ [29]. Cutkosky [30] reported two N D₁₃-resonances at (1880 ± 100) and (2081 ± 80) MeV with respective widths of (180 ± 60) and (300 ± 100) MeV. The $N(1840)P_{11}$ appears in all channels. The evidence for it is discussed in $[9]$. The N(2200) does not have such characteristic features. It improves the description of the data in a difficult mass range and further data will be required to establish or to disprove its existence. Its preferred quantum numbers are P_{13} but it seems not unlikely that N(2200) should be identified with N(2190) G_{17} (which gives the second best PWA solution).

The three largest contributions to the η photoproduction cross-section stem from $N(1535)S_{11}$, $N(1720)P_{13}$, and $N(2070)D_{15}$. We tentatively assign $(J = 1/2; L = 1, S =$ $1/2$) quantum numbers to the first state; N(1720) P_{13} and $N(1680)F_{15}$ form a spin doublet, hence the dominant quantum numbers of N(1720) P_{13} must be $(J = 3/2; L =$ $2, S = 1/2$. Thus it is tempting to assign $(J = 5/2; L =$ $3, S = 1/2$ quantum numbers to $N(2070)D_{15}$. The three baryon resonances with strong contributions to the pη channel thus all have spin $S = 1/2$ and orbital and spin angular momenta adding antiparallelly with $J = L - 1/2$. Figure 14 depicts this scenario.

The large $N(1535)S_{11} \rightarrow N\eta$ coupling has been a topic of a controversial discussion. In the quark model, this coupling arises naturally from a mixing of the two $(J = 1/2; L = 1, S = 1/2)$ and $(J = 1/2; L = 1, S = 3/2)$ harmonic-oscillator states [31]. However, $N(1535)S_{11}$ is very close to the KΛ and KΣ thresholds and the resonance can be understood as originating from coupledchannel meson-baryon chiral dynamics [32]. Alternatively, the strong $N(1535)S_{11} \rightarrow N\eta$ coupling can be explained as delicate interplay between confining and fine structure interactions [33].

A consistent picture of the large $N(1535)S_{11} \rightarrow N\eta$ coupling should explain the systematics of $N\eta$ couplings. We note a kinematical similarity: The three resonances with large $N\eta$ partial decay widths are those for which the dominant intrinsic orbital excitation $L = 1, 2, 3$ and the decay orbital angular momenta $\ell = 0, 1, 2$ are related by $J = L - 1/2 = \ell + 1/2$. The intrinsic quark spin configuration remains in a spin doublet.

5 Summary

We have presented a partial-wave analysis of data on photoproduction of πN, ηN, ΚΛ, and ΚΣ final states. The data include total cross-sections and angular distributions, beam asymmetry measurements as well as the recoil polarisation in case of hyperon production. A reasonable description of all data was achieved by introducing 14 N^{*} and seven Δ^* resonances.

Most baryon resonances are found with masses, widths and ratios of helicity amplitudes which are fully compatible with previous findings. New resonances are required to fit the data, $N(1840)P_{11}$, $N(1875)D_{13}$, $N(2070)D_{15}$, $N(2170)D_{13}$, and $N(2200)$. The $N(1840)P_{11}$ -resonance could, however, be identical with $N(1710)P_{11}$ even though the masses are significantly different, and our $\rm N(2170)D_{13}$ may be the $N(2080)D_{13}$ of the PDG for which a range of masses have been proposed.

Three resonances are found to have very large couplings to N_n, N(1535)S₁₁, N(1720)P₁₃, and N(2070)D₁₅. The dynamical origin of this preference remains to be investigated.

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